METHODS OF DETERMINATION OF THE SIGN OF THE THERMO-DIFFUSION COEFFICIENT IN DISPERSED LIQUIDS

In this paper three methods of determination of the sign of the thermo-diffusion coefficient (Soret constant) are presented. The first method uses the relation for Soret constant which was derived from the thermo-diffusion equation. This relation permits determination of the sign of the Soret constant as well as its approximate value. The second method is based on the time dependence of the decay of the created diffraction grating. The last method is based on the measurement of the transmission of light by the dispersion liquid.

1. Introduction

When the nanoparticles with the diameter of (10 ÷ 20) nm are placed in a liquid medium they are dispersed and at the same time a temperature and concentration gradient are created. As a result there will be forces acting on the particles and, therefore, the diffusion and thermo-diffusion flux of the particles will rise. According to the first Fick law the value of the density of flux of the nanoparticles in one-dimensional case can be expressed by the equation

\[ i = -D \frac{\partial n}{\partial x} - D \cdot S \cdot n \cdot \frac{\partial T}{\partial x} \]  

(1)

where the first expression on the right hand side is the diffusion flux and the second one on the right hand side is the thermo-diffusion flux of the particles. \( D \) is the diffusion constant of the particles, \( S \) is the thermo-diffusion coefficient (the Soret constant) and \( T \) is temperature. It is possible to show experimentally that if a gradient of temperature is created in the sample, the particles can accumulate, (when specific conditions are fulfilled), at the place where the temperature is lower (\( S < 0 \)) or at the place where the temperature is higher (\( S > 0 \)).

The explanation of the reason why \( S < 0 \) is known for gasses, but for liquids a satisfying theory is unknown. That is the reason why there is permanent interest in the solution of this problem in the world [1], [2].

In this paper we present three methods used for the determination of the sign or value of the thermo-diffusion coefficient.

2. Arrangement of an experimental apparatus

For the determination of the sign and value of the Soret constant the experimental apparatus which is depicted in Fig. 1 was used.

3. Methods of measurements

a) Method of direct calculation

In order to create the particle diffraction grating and also to increase the temperature of the disperse liquid at the place of measurement the Ar laser beam with \( \lambda = 488 \) nm and (0 ÷ 120) mW power was used. To create the diffraction grating, the laser beam was divided into two crossed beams. At the point where the two beams are crossing the periodical light field arises due to their interference. The periodical thermal field arises because the light energy is absorbed in the sample. Consequently, due to the diffusion and thermo-diffusion of the nanoparticles the particle diffraction grating in the liquid is created.

\[ i = 0 = -D \frac{\partial n}{\partial x} - S \cdot D \cdot n \cdot \frac{\partial T}{\partial x}. \]  

(2)

After solving this equation for \( S \) we obtain

\[ S = \frac{1}{n} \frac{dn}{dT}. \]  

(3)
If we assume a small linear change of temperature which is connected with small changes of concentration then the relation (3) can be expressed as

\[ S = \frac{1}{n} \cdot \frac{\Delta n}{\Delta T} \]  

(4)

The experimental determination of the local value of \( n \) is not simple. This one is, however, closely related with the light absorption coefficient \( \alpha \) which can be measured directly. Using the equation

\[ \frac{\Delta n}{n} = \frac{\Delta \alpha}{\alpha} \]  

(5)

one gets for the Soret constant

\[ S = \frac{1}{\alpha} \cdot \frac{\Delta \alpha}{\Delta T} \]  

(6)

where all the quantities necessary for the evaluation of \( S \) may be obtained from the experiment.

Moreover, the absorption coefficient can be determined from the relation

\[ \alpha = \frac{1}{L} \cdot \ln \left( \frac{U}{U_1} \right) \]  

(7)

where \( L \) is the sample thickness, \( U \) is the signal produced by the detector when the laser beam is passing across the empty cell and \( U_1 \) is the signal produced by the detector when the laser beam is passing through the cell in which the sample is placed. After substituting \( U \) expressed by equation (7) into relation (6), we obtain

\[ S = \frac{1}{\Delta T} \cdot \ln \left( \frac{U_1}{U_2} \right) \cdot \alpha \cdot L \]  

(8)

where \( U_1, U_2 \) are signals from the detector after the laser beam passed through the sample at the temperatures \( T_1, T_2 \), respectively [3].

b) The time dependence method of the decay of the grating

If we take the sample in the form of a thin layer of colloidal liquid (thickness of 60 \( \mu \)m) in the interference field of two laser beams (Fig. 1), due to the absorption of light the temperature grating in the sample will be created and the nanoparticles will start repartitioning in the temperature field created according to the sign of the thermo-diffusion coefficient (Soret constant \( S \)) and they will start to create an absorption grating [4].

After cutting out the interference field of the crossed beams, the temperature grating will vanish in about 3 ms and the diffraction absorption grating will decay as depicted in Fig. 3.

If one screens one beam of the Ar laser only the remaining laser beam will be absorbed in places of particle accumulation (grating) and the temperature in these places will remain higher than in the places where the particles concentration is lower. If \( S > 0, \) the thermo-diffusion flux will be greater than the diffusion flux and the grating decay will be slowed down or the grating will even be reconstructed (Fig. 2) [4]. From the behaviour of the time dependence depicted in Fig. 3 it follows that \( S > 0 \) and the effective diameter of the nanoparticles can also be determined.

c) Method of measurement of light transmission

In this method the sample of disperse liquid of the thickness cca (60 \( \div \) 100) \( \mu \)m is being heated by means of the absorption of the laser beam of high intensity at the point of its passing through the sample (Fig. 4). In this same place the diagnostic beam (e. g. 5 mW He -Ne laser beam) passes through the sample as well.

In the case \( S > 0 \) the particles are ejected from the place of heating [4] and the intensity of the diagnostic beam grows. If \( S < 0 \), the dispersed particles accumulate in the place of heating and the intensity of the diagnostic beam decreases (Fig. 5).

4. Experimental results

For the disperse liquid with nanoparticles Fe$_3$O$_4$ based on kerosene at the temperature 24 °C we found \( S < 0 \) with value...
about 0.023 K\(^{-1}\) using all three methods. For the disperse liquid with nanoparticles Fe\(_3\)O\(_4\) dispersed in pentanol we found \(S > 0\) at the temperature 24.5 °C using method b). For the disperse liquid of tempera paint (Kraplak dark) based on water we found \(S > 0\) at the temperature 21.5 °C using method b).

5. Conclusions

On the basis of the obtained results we conclude that the presented methods are suitable for determination of the sign and approximate magnitude of the Soret constant. The accuracy of the first method depends mainly on the accuracy with which the initial and final temperatures of the liquid \(T_1\) and \(T_2\) and the voltages \(U_1\) and \(U_2\) are determined in the stationary regime of the liquid sample in the presence of the Ar laser beam.

Except for the fast determination of the sign of the Soret constant, these methods can also serve for the study of the thermo-diffusion and kinetic phenomena connected with it in the liquids in which nanoparticles are present.

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References