1. Introduction

This article details the creation of a virtual bearing model allowing the analysis of individual bearing components under dynamic behavior. Two models of tapered roller bearings will be employed: one with steel cage and the other with plastic cage, both of which are pictured in Fig. 1 along with the assembled bearing model.

2. Tapered roller bearing model

Dynamic simulations of the tapered roller bearing were performed in the MSC.Adams system. A precise geometrical model of the bearing was necessary in order to perform the said simulations. The 3D model was created based on available drawing documentation and incorporates various methods with regards to the overall model complexity. Model design was performed in Pro/Engineer Wildfire 5 (Fig. 1), which, when compared to the MSC.Adams environment, allows simpler model creation and subsequently easier bearing geometry modifications. The bearing model assembly was transformed from Pro/Engineer into Adams environment using the Parasolid file format and was further processed based on analysis requirements. The first step included material definition for individual bearing components. The bearing consists of inner and outer ring, cage and rollers. Table 1 lists values assigned to individual parts.

In the next step we defined the contacts between individual bearing components. Contact type “solid to solid” was chosen for the aforementioned operation, defining two objects coming into contact. This was due to the geometrical complexity of the model...
and inability to determine all bearing parts that come into contact. This contact type requires the definition of the following parameters to define the normal force which is based on an impact using the “Impact” function [1]: Stiffness, Exponent, Max Damping and Penetration Distance. Contact pairs were formed between inner ring and rollers, outer ring and rollers and between ring and rollers. Parameter values for contact between cage and rollers were defined as per [1]. Parameter values for contacts of rollers with outer and inner ring were defined based on the Hertz theory of contact pressure for tapered roller bearing. Table 2 lists values of parameters for individual contacts. We also considered a friction model based on Coulomb friction force calculation. Values of static and dynamic friction coefficient were set according to [2] and values of transmission velocity according to [1] which are generalized values for the model with friction effects at the contact locations using Coulomb friction model in Adams.

<table>
<thead>
<tr>
<th>Contact pairs</th>
<th>Parameter</th>
<th>Contact pairs</th>
<th>Parameter</th>
</tr>
</thead>
<tbody>
<tr>
<td>Roller – outer ring</td>
<td>Stiffness (N.mm⁻³)</td>
<td>9870000</td>
<td>9870000</td>
</tr>
<tr>
<td></td>
<td>Exponent (-)</td>
<td>1.5</td>
<td>1.5</td>
</tr>
<tr>
<td></td>
<td>Max. Damping (N.s.mm⁻¹)</td>
<td>10000</td>
<td>10000</td>
</tr>
<tr>
<td></td>
<td>Penetration Distance (mm)</td>
<td>0.15</td>
<td>0.15</td>
</tr>
<tr>
<td></td>
<td>Static coefficient (-)</td>
<td>0.12</td>
<td>0.12</td>
</tr>
<tr>
<td></td>
<td>Dynamic coefficient (-)</td>
<td>0.1</td>
<td>0.1</td>
</tr>
<tr>
<td></td>
<td>Friction transition velocity (mm.s⁻¹)</td>
<td>100</td>
<td>100</td>
</tr>
</tbody>
</table>

Next we defined the geometric and kinematic constraint conditions and load force. Axial load force of the outer ring was associated with “Fixed joint” constraint, which resulted in removal of all degrees of freedom. The inner ring was associated with “Cylindrical Joint” constraint condition, which allowed rotation and translation along the x axis. “Rotational Joint Motion” of type “Velocity” was assigned to the “Cylindrical Joint” constraint, allowing rotational movement. This movement was defined via the STEP function [1] and corresponds to bearing rotational speed \( n = 15.5 \text{ min}^{-1} \). Loading force was defined via gravitation acceleration “Gravity” and “Axial Force” of magnitude \( 518000 \text{ N} \) in x axis direction, influencing the inner ring. Figure 2 left shows a model with axial load force with defined geometrical and kinematic constraint conditions.

Constraint conditions for dynamic analysis with radial load force were defined as following: “Revolute Joint” was assigned to the inner ring and allowed inner ring rotation around the x axis. “Translational Joint” was assigned to the outer ring, allowing movement in direction of the y axis. “Rotational Joint Motion” of type “Velocity” was assigned to the aforementioned constraint, allowing rotational movement. This movement was defined in a similar fashion as described above using the STEP function. Loadforce was defined via gravitation acceleration “Gravity” and “Radial Force” of magnitude \( 4500000 \text{ N} \) was applied in y axis direction, influencing the outer ring. Figure 2 right shows the model under radial load force with defined geometric and kinematic constraint conditions.

After defining all constraint conditions, boundary conditions and loadforce, we defined the analysis type and solved parameters as follows:

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SIMULATE/DYNAMIC, END = 30, STEPS = 3000
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Integrator GSTIFF, Formulation SI2, Corrector Modified, Error 1e-2, Executable External C++, Thread Count 8, Contacts Default Library, Faceting Tolerance 1e5.

### 3. Dynamic simulation results – axial load force

Dynamic simulation results with axial load force represent force interactions between individual bearing parts, movement of bearing cage center of gravity and angular velocity thereof. Figure 3 shows forces between roller and cage, roller and inner ring and angular velocity of this roller. Maximum force between steel cage and rollers was observed during interaction of the cage with roller n.26 and is equal to 268 N (Fig. 3 up, green line). Also shown is the force between inner ring and roller n. 26 (red line), which varied between 54297 N and 59103 N, a difference of 4.2% (minimal force) and 8.1% (maximal force) when compared to theoretical calculations. The blue line displays angular velocity of roller n. 26 and varies between 483°/s and 495°/s.

Maximum force between plastic cage and rollers was observed during interaction of the cage with roller n.2 and is equal to 251N (Fig. 3 down, green line). Also shown is the force between inner ring and roller n. 2 (red line), which varied between 54467 N and 58636 N and was lower when compared to the steel cage, representing a difference of 3.9% (minimal force) and 7.1% (maximal force) when compared to theoretical calculations. The blue line displays angular velocity of roller n. 2 and varies between 483°/s and 495°/s, similar to the velocity observed for the steel cage.
Fig. 2 Definition of geometric and kinematic constraint conditions – axial load force – left, radial load force – right

Fig. 3 Force interaction between inner ring and rollers (red lines), force interaction between cage and rollers (green lines) and angular velocity of rollers.
Figure 4 left shows the movement of steel cage center of gravity in x, y, and z axes oriented as per Fig. 2. It is evident that minimum change of center of gravity is within the rotation axis (x axis) up to 0.007 mm and maximum change in the y-z plane, wherein the deviation in the y axis is equal to 0.419 mm and in z axis up to 0.649 mm.

Figure 4 right shows the movement of plastic cage center of gravity. It is evident that the center of gravity deviation increased within the rotation axis (x axis) to 0.605 mm when compared to the steel cage and also increased in the y-z plane, wherein the deviation in the y axis was equal to 0.599 mm and 0.919 mm for the z axis. Figure 4 down shows the center of gravity location in the y-z plane.

4. Dynamic simulation results – radial load force

Similar to axial load force, we calculated force interactions between individual bearing parts, movement of bearing cage and angular velocity thereof when subjected to radial force. Figure 5 shows force between roller and cage, roller and inner ring and angular velocity of the roller. Also shown is the force between inner ring and roller n.13 (red line). Maximum force between steel cage and rollers was observed for roller n.13 and is equal to 706 N (green line). The analysis also showed that highest load rates are present at rollers 10 to 14 during start-up time (2–5 seconds) and are equal to 700 N. During subsequent simulation time, the cage was in contact with rollers only when the rollers were off-loaded.

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**Fig. 4 Movement of center of gravity of steel and plastic cages in the y-z plane, axial load force**
and maximum force value was equal to 250N. Angular speed was constant (489°/s) under applied roller load and lowered under roller load in the 20000N to 70000N range, achieving a minimum value of 445°/s (blue curve).

Figure 5 down shows force between inner ring and roller n.10 (red line) for bearing with plastic cage. Maximum force between plastic cage and rollers was observed for roller n.13 and is equal to 706N (green line). Maximum force between the plastic cage and rollers was observed for roller n.10 and is equal to 670N (green line). Similar to the steel cage, highest load rates were present at rollers 10 to 14 during start-up time (2-5 seconds) and are equal to 700 N. When compared to the steel cage, the rollers were in contact not only in the off-load phase (force equal to 100 N) but also during the load phase, with the force equal to 400 N. Angular speed was constant (489°/s) under applied roller load and, similar to the steel cage, lowered under roller load in the 20000N to 70000N range, achieving a minimum value of 167°/s (blue curve) and 320°/s under load.

Figure 6 left shows the movement of steel cage center of gravity in x, y and z axes oriented as per Fig. 2. The change of center of gravity within the rotation axis (x axis) is equal to 0.026 mm and maximum change is in the y–z plane, wherein the deviation in the y axis is up to 0.433 mm and in the z axis up to 0.711 mm. Figure 6 right shows the movement of plastic cage center of gravity. It is evident that the center of gravity deviation in the rotation axis (x axis) is similar that of the steel cage (0.605mm), however decreased in the y–z plane, wherein the deviation in the y axis was 0.345 mm and 0.575 mm for the z axis. Figure 6 down shows the center of gravity location of the cages in the y–z plane.

5. Conclusion

The aim of this article was to detail the creation of a tapered roller bearing model in the Adams software suite to be used for further dynamic analysis and to obtain information about individual parts during the simulation process. The bearing model was made so as to closely resemble its real-life counterpart and thus allowed us to extract information about load transfer conditions, kinematic ratios and mutual component interactions. This approach can help identify problematic parts during the development phase and allows modification of the bearing design before the actual manufacturing process, thus maximizing the overall service life-time of the bearing.

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This work was supported by the Slovak Research and Development Agency under the contract No. APVV-0419-11 – Adaptation of modern computer-simulation methods to the development of rolling bearings and their verification in real conditions.
Fig. 6 Movement of center of gravity of cages in the y-z plane under axial load

References: